



Answer Key Actual CAT Slot - II

Q. No	Кеу	Q. No	Key	Q. No	Кеу
1.	С	25.	4	47.	С
2.	A	26.	В	48.	D
3.	D	27.	A	49.	В
4.	В	28.	2	50.	В
5.	A	29.	26	51.	11
6.	В	30.	A	52.	В
7.	А	31.	D	53.	139
8.	4	32.	5100	54.	С
9.	В	33.	3500	55.	С
10.	D	34.	150	56.	A
11.	А	35.	A	57.	340
12.	D	36.	4	58.	2160
13.	С	37.	D	59.	В
14.	D	38.	A	60.	С
15.	A	39.	В	61.	В
16.	С	40.	А	62.	D
17.	А	41.	В	63.	В
18.	А	42.	A	64.	7
19.	D	43.	4	65.	2
20.	С	44.	5	66.	14
21.	В	45.	6	67.	7
22.	2	46.	С	68.	A
23.	A				
24.	A				



Explanation Actual CAT Slot - II

Q. No	Explanation
1.	The text's primary focus is physicists collaborating with experts from other fields to answer questions about our world. Their approaches might have some differences they nevertheless have resulted in benefits (means important findings, which is their objective). Option C includes this core.
	Option A says they have "buried their differences in research methods applied in other fields", which has not been mentioned. In spite of their differences, they have been somewhat successful. Option B There is no mention of large data sets and mathematical models in physics combined with research
	methods of other fields. Option D There's no desire to diversify their research. There have been differences in approaches and that have stayed yet some benefits have been seen.
2.	The sentence, "[1]he Europeans did not invent globalisation" hints that if they didn't invent it then it was already there. We need a context that what was there before the Europeans made the big leap. It was the trade
	that was going on between China and peoples of Southeast Asia.
	In the first blank, there's no gap. People of Southeast Asia supplied goods to the Chinese and the same thing is
	Before the second blank, it has been mentioned that the exchanges of the year 1000 opened some of the
	routesand after the blank a contrast pair is made with the use of 'Yet' that means something different from
	what has been said or opposite to what has been said. So, the second blank is not suitable for that sentence.
	perfectly well with "The Europeans did not invent it but they just changed and made it greater.
	There's no gap even in the fourth option as the words, "If the globalisation hadn't yet begun" must have a
	fixed time before it, which is there in the previous sentence.
3.	The para talks about how states conduct warfare using the DIME model (Diplomacy, information, military, and accommiss). The states try or do quarything before deploying the military. Then the focus shifts to
	information, how the states monitor telecom data and communications and also use cyber troops on social
	media to influence public opinion.
	Option D includes the main focus.
	Option A is incorrect as it says governments primarily use the DIME model to deploy cyber troops, which is
	iust further part of the information tool and not all of them.
	Option B is incorrect as it is also confusing the trajectory of thought in the text and mismatching different
	parts. Further, the focus is lost amid other details.
	Option C is incorrect as using the DIME Model and military simultaneously has not been talked about.
4.	We have to select an option that states what would happen if a trader brought white peppercorns from India
	to medieval Europe. During those time, Europeans thought pepper in India grew on trees guarded by serpants,
	"The only way to harvest pepper was to burn the trees, which would drive the snakes underground. Of course,
	this bit of lore would explain the shriveled black peppercorns, but not white, pink or other colors." So, they would doubt the story of pepper betweeting
	Option A, C and D are beyond the scope of the given text.
5.	The third paragraph states why the spices were highly prized in Europe, "Medieval purchasers consumed meat
	much fresher than what the average city-dweller in the developed world of today has at hand. However,
	refrigeration was not available, and some hot spices have been shown to serve as an anti-bacterial agent.
	salting, smoking or drying meat were other means of preservation. Most spices used in cooking began as medical ingredients and throughout the Middle Ages spices were used as both medicines and condiments
	Above all, medieval recipes involve the combination of medical and culinary lore in order to balance food's
	humeral properties and prevent disease." Spices acted both as medicines as well as condiments. From here it
	can be inferred that Option B, C and D contributed to a decline in the allure of spices but their increased
6.	The people who had heard the story of pepper trees being guarded by snakes evokes a sense of fear and its
	resultant limited supply.
	Option A, C and D logically follow from these reasons.
	However, Option B is least likely to be arrived at.



7.	The conclusion, "India was colonised for its spices and gold" is not directly supported by the passage. The
	East has been mentioned but direct reference to India being colonised for this is not there.
	Option B can be concluded from the last paragraph. Refer to the line, "Spices never had the enduring allure or
	power of gold and silver or the commercial potential of new products such as tobacco, indigo or sugar."
	For Option C and D, refer to the line, "Still, demand was great enough to inspire the voyages of Christopher
	Columbus and Vasco Da Gama, launching the first fateful wave of European colonialism."
8.	The correct order here is 1532 and option 4 is the odd-one out. This order flows from a general statement
	about the UK's leadership, to the benefits of cultivated meat, to the current status of the technology, and
	finally, the need for continued investment.
	Sentence 1 sets the stage by introducing the UK's leadership in the development of cultivated meat and
	highlights an important milestone, the approval of cultivated pet food.
	Sentence 5 follows logically, explaining the potential benefits of cultivated meat, particularly in terms of
	reducing the negative impacts of traditional animal agriculture, which is a key motivator for developing this
	technology.
	Sentence 3 provides a specific update on the status of cultivated meat applications, mentioning that the first
	UK applications for human consumption are under review by the Food Standards Agency.
	Sentence 2 concludes the paragraph by suggesting that government investment in research and infrastructure
	is essential for realizing the full benefits of cultivated meat.
9.	The sentence to be fitted in is, "Yet each day the flock produced eggs with calcareous shells though they
	apparently had not ingested any calcium from land which was entirely lacking in limestone." The sentence
	starts with 'Yet'. It means something totally different or opposite should come before it as it makes for a
	contrast pair. In blank 1, the previous sentence just talks about Louis Kervran's childhood and him noticing a
	strange fact in his father's poultry yard.
	In blank 2, the sentence that comes before it and after it both talk about mica. There seems to be no gap.
	In blank 3, the sentence that comes before it states the hens consumed mica and not calcium and the sentence
	starting with 'Yet' makes for a contrast pair. The observation, "why the chickens selected the mica, or why
	each time a bird was killed for the family cooking pot no trace of the mica could be found in its gizzard",
	makes for an interesting contrast as chickens had mica but what they delivered was calcium. The sentence that
	follows offers an explanation for it. So, nothing is required in Blank 4.
10.	We have to pick the option that is not a reason why academics choose to review other scholars work. Option
	A, B and C can be traced to these lines, "Some do it as a way to keep abreast with developments in their field;
	some simply see it as a duty to the discipline" and "In recent years, some scientists have begun posting their
	reviews online, mainly to claim credit for their work."
	Option D is neither directly stated nor it can be derived as a reason for
11.	Option A can be inferred throughout the passage from the author's line of thought and especially from the last
	line, "But the norm should shift from opacity in all cases to opacity only when necessary."
	Option B, C and D can't be inferred – peer review data has been mentioned but in a different context; option C
	and D are clearly beyond what has been stated.
12.	Here, we have to pick an option that is not the reason for making peer review data public. Option A, B and C
	are mentioned in the passage. Refer to lines, "Sharing peer review data could help journals stamp out fraud,
	inefficiency, and systemic bias in academic publishing"; "Peer review data could also help root out bias.
	Last year, a study based on peer review data for nearly 24,000 submissions to the biomedical journal eLife
	found that women and non- Westerners were vastly underrepresented among peer reviewers"; and "Openly
	publishing peer review data could perhaps also help journals address another problem in academic publishing:
	fraudulent peer reviews."
	However, Option D does not favour making peer review data public as it talks about the problem of selecting
	appropriately qualified peer reviewers.
13.	Here, we need to pick an option that does not carry the reason why some are supposed to making peer reviews
	public. Option A, B and D can be found in the passage as reasons. Refer to lines, "Opponents of open peer
	review commonly argue that confidentiality is vital to the integrity of the review process; referees may be less
	critical of manuscripts if their reports are published, especially if they are revealing their identities by signing
	them. Some also hold concerns that open reviewing may deter referees from agreeing to judge manuscripts in
	the first place, or that they'll take longer to do so out of fear of scrutiny"
14.	It's not given anywhere or hinted at that technological advances in the past have always had innocuous or
	beneficial outcomes. They may have it sometimes. Refer to lines in the first para, "Sometimes those
	consequences are innoclique ones, or even beneficial "
	For Option A, refer to lines, "as it becomes increasingly possible for individuals or small groups to create new
	For Option A, refer to lines, "as it becomes increasingly possible for individuals or small groups to create new scientific advances through chemistry or biotechnology or materials science setting off unintended



	For Option B and C, refer to lines, "Ethyl (leaded fuel) and Freon belonged to the same general class of
	secondary effect: innovations whose unintended consequences stem from some kind of waste by-product that
	they emit. But the potential health threats of Ethyl (unleaded fuel) were visible in the 1920s, unlike, say, the
	long-term effects of atmospheric carbon build up in the early days of the Industrial Revolution "
	So, the author supports Option A, B and D.
15.	The first paragraph focuses on what economists sometimes call 'externalities' or the unintended consequences
	and secondary effects. The para also carries an example to support it. The printing press leads to a chain of
	effects.
	Option B is incorrect as it's not about judging an invention or about holistic impacts.
	Option C is incorrect as there's is no mention that the secondary effects of most major technological advances
	have been beneficial. The author has used the word 'sometimes'.
	Option D is incorrect as the word 'entire' here makes it a bit extreme and secondly, there's no mention of
	evaluating it by the boost it gives to generating further technological advancements.
16.	By externalities, the author means unintended consequences or secondary effects. We need to pick an option
	that is not a secondary effect but it should be the primary invention. Here, the invention of Air Conditioners
	for a specific purpose is primary. Refer to the lines, "When Willis Carrier hit upon the idea of air-
	conditioning, the technology was primarily intended for industrial use: ensuring cool, dry air for factories that
	required low-humidity environments."
	Option A, B and D are secondary effects. For option A, refer to the last paragraph.
	For option B, refer to lines, "Edison famously thought his phonograph, which he sometimes called "the talking
	machine, would primarily be used to take dictationBut then later innovators discovered a much larger
	audience winning to pay for musical recordings made on descendants of Edison's original invention. In other
	cases, the original innovation comes into the world disguised as a plaything
	the animatronic dolls of the mid 1700s inspired Jacquard to invent the first "programmable" loom.
17	These inventors had their own individual objectives. The hardly had any idea regarding the externalities. The
	secondary effects or unintended consequences might have taken place after a big span of time like the
	Industrial Revolution and its effects on the environment. Consider the words "Oftentimes the secondary
	effects seem to belong to an entirely different sphere of society": "Sometimes the unintended consequence
	comes about when consumers use an invention in a surprising way. Edison famously thought his phonograph.
	which he sometimes called "the talking machine." would primarily be used to take dictationBut then later
	innovators discovered a much larger audience willing to pay for musical recordings made on descendants of
	Edison's original invention."
	Option B is incorrect as the unintended consequences were largely beneficial is not supported by the passage.
	Option C is incorrect as "inventions being used for entirely different purposes" is not right in all the cases that
	have been mentioned.
	Option D is incorrect as the author is not trying to prove that past inventions mostly resulted in creation of
	new inventions.
18.	Option A is supported by the lines, "Penteriani's team believes 50% could have been avoided if humans
	reacted differently. A 2017 study co-authored by Penteriani found that engaging in risky behaviour around
	large carnivores increases the likelihood of an attack."
	Two of the most common risky behaviours are parents leaving their children to play outside unattended and
	walking an unleashed dog, according to the study. Wilkinson says 66% of coyote attacks involve a dog.
	"[People] end up in a situation where their dog is being chased, or their dog chases a coyote, or maybe they re
	Option P is incorrect as attempting to photograph wild animals from within secured areas would not
	option B is incorrect as altempting to photograph who animals from within secured areas would not
	Option C is incorrect as addressing the impact of climate change would also not increase the attacks as climate
	change is also cited to be one of the reasons behind the increasing number of attacks
	Ontion D is incorrect as implementing food waste management strategies would likely decrease the attacks
19.	Option D is inconsistent with the passage which mentions that climate change plays a part in escalating
	human-carnivore conflicts although the exact correlation is still being studied. It highlights that scarcity of
	resources due to climate change leads to more frequent encounters between humans and carnivores, which
	could increase conflict. Therefore, stating that climate change has negligible effects directly contradicts this
	information.
	Option A: "Predatory attacks by carnivores are a common occurrence and have steadily increased over the
	past few decades."
	This statement is incorrect because the passage states that predatory attacks are rare, accounting for only 17%
	of attacks in North America since 1955. Therefore, it would be inconsistent with the passage to say they are
	common or steadily increasing.



	Option B: "Human efforts to avoid risky behaviours around large carnivores have proven effective in reducing
	conflict incidents."
	This statement is consistent with the passage, which refers to a 2017 study by Penteriani that found 50% of
	carnivore-human conflicts could have been avoided if humans had reacted differently, especially by avoiding
	risky behaviors like leaving children unattended or walking an unleashed dog.
	Option C: "Carnivores lose their instinctive fear of humans when consistently exposed to human food
	sources."
	This statement is consistent with the passage, which describes how carnivores that come to associate humans
	with food (e.g., from campsites or rubbish bins) lose their instinctive fear of humans, leading to dangerous
20	situations where the animals are often put down.
20.	For option C, "The diversity and interspersion of working landscapes with carnivore habitats in rural areas
	increase the statistical probability of encounters between numans and carmivores, feren to the mes in the last
	interspersed with carnivore habitate forests and savannahe, which creates a lot more opportunity for these
	encounters, just statistically."
	Ontion A goes against the passage as low-income countries are more prone to human-carnivore conflict
	Option R goes against the passage as low meetine countries are more prone to name cannyole connect.
	experience such conflicts.
	Option D is incorrect as it also goes against what is mentioned in the passage.
21.	For option B "The reduction in carnivores' instinctive fear response, resulting from their reliance upon human-
	provided food", refer to lines, "Carnivores that recognise humans as a means to get food, are a different story.
	As they become more reliant on human food they might find at campsites or in rubbish bins, they become less
	avoidant of humans."
	Option A, C and D state reasons that could lead to more conflicts between animals and humans rather than
	lead to 'habituation' (becoming used to something), which is asked in the question.
22.	The theme of the paragraph is gender and whether it is a social or a biological construct.
	Sentence 1 introduces the idea that gender is neither purely biological nor purely social, setting up the context
	for the discussion. $(1, 1)$
	Sentence 3 acknowledges people's discomfort with the idea that gender may not be purely social.
	Sentence 4 adds that researchers studying the biological aspects of gender face political opposition, connecting
	to the earlier sentence on discontion. Sentence 5 elaborates on the political preference for viewing gender as a social construct, explaining why such
	pushback occurs
	"We should be complacent in the face of sexism" is taking the line of thought in a different direction.
	So, the correct order is 1345 and sentence 2 is the odd-one out.
23.	The sentence, "Science has officially crowned us superior to our early-rising brethren" hints at there's
	something to be happy about. It also suggests that the early-rising brethren were considered superior earlier.
	The sentence before the first blank is just an introduction and doesn't call for the announcement. However,
	after the blank, a context has been made and it's taken to the peak with the words "we are having the last
	laugh". Now is the time to announce why, which is answered in the sentence to be filled in. The sentences
	before and after blank three talk about a study and there's no gap here. The sentences after that are further
04	elaborating the study and why it's reliable.
24.	The paragraph talks about how freedom is essential for comedians and when they are denied it, their creativity
	IS Suffed.
	Option A carries the crux of the paragraph. Option B is incorrect as it is shifting the focus of the paragraph "They must go where no one has gone
	before "
	Option C is incorrect as it doesn't talk about freedom that is essential for comedians to move on.
	Option D is incorrect as this option too is missing the theme that is freedom is essential for the comedians to
	survive.
25 -	Let each of the ten slots is represented by the letters A to J as shown below-
29.	Column 1 Column 2 Column 3 Column 4
	Row 1 A B C D
	Row 2 E F G
	Row 3 H I
	Row 4 J
	Now considering point 1 and 2,
	A, E, H, J < B, F, I < C, G < D
	So, definitely the value of $D = 10$



	The value of C or $G = S$	cr 9				
	The value of B F or $I = 5.6 \text{ or } 7$					
	The value of A F H or $I = 1, 2, 3$ or 4					
	From point 3 1 is placed either in the same row or in the same column as 10					
	So either $A = 1$ or $I = 1$		sume row or	in the sume ex		
	From point 4, neither 2	nor 3 is place	1 in the same	row or in the	same column as 10.	
	So. A. B. C. G. I and J	cannot have va	alue 2 or 3.			
	So, E, F or H can have	value 2 or 3, b	ut F cannot h	ave value 2 or	: 3.	
	So, either E or $H = 2$ or	3. So, A or J	have value 1 o	or 4.		
	Also, from point 6, 4 ar	nd 6 are placed	l in the same	row.		
	So, J cannot have value	4 as that is the	e only slot in	Row 4.		
	So, $A = 4$ and $J = 1$					
	So, the value of $B = 6$ (only possibilit	y) as C canno	ot have value 6	5	
	Now, from point 5, neit	her 7 nor 8 is	placed in the	same row or i	n the same column as 9.	
	So, if $G = 9$, either F o	r I has to be 7	which is pla	ced in the sar	ne row or column of G, not possible. So, C is	
	definitely 9 and G is 8 a	and I is 7 and I	F is 5			
	Regarding E and H, we	have followin	ig two possibi	lities-		
		2				
	Case I: II $E = 2$ and H	= 3	Column 3	Column 4		
	Pow 1 4	Column 2				
	Row 2	2	5	8		
	Row 3	2	3	7		
	Row 4	l	5	1		
				1		
	Case II: If $E = 3$ and H	= 2				
	Column 1	Column 2	Column 3	Column 4		
	Row 1 4	6	9	10		
	Row 2	3	5	8		
	Row 3		2	7		
	Row 4			1		
25.	The row number which	has the least s	sum of numbe	ers is placed in	n row 4	
26.	Statement I. 10 is place	d in a slot in R	low 1, true			
	Statement II. 1 is placed	1 in a slot in R	ow 4, true			
27	Statement I. 2 is placed	and II are true	e	he on more not	t ha truc	
21.	Statement II. 2 is placed	lin a slot in Co	olumn 3 may	be of may no	t be true	
	Hence neither statemen	t In a slot in C	oluliii 5, illay	v be of may no	jt be tide	
28.	For 2 slots (Row 2, Co	lumn 2 and R	ow 3 Colum	n 3) in the gr	id where the placement of numbers cannot be	
	determined with certain	itv	ow 5, colum	ii 5) iii the gi	a where the placement of humbers cannot be	
29.	The sum of the number	s placed in Co	lumn $4 = 10$ -	+8+7+1=2	26	
30-	Bank	Entry/Ea	dt			
33.	A B	c		D		
				400 -		
				400 51		
		F				
	н			E		
				200 m		
		К		L		
	1 3					
				100 -		
				400 m		
	P 150m O	900 m. N.	300 m	M		
	Post Office		5355116555			
	In right angled triangle	KNO, $KN^2 +$	$ON^2 = KO^2$			



	KN = ML = 400 m and $ON = 300 m$
	So, $KO^2 = 400^2 + 300^2 = 250000$
	=> KO = 500 m
	Similarly, in right angled triangle GJI, $IG^2 = GJ^2 + IJ^2 = 200^2 + 150^2 = 62500$
	=> IG = 250 m
30.	The shortest path required would be $L - K - O - P - I - G - B - C - F - E - L$
	The minimum distance walked = $LK + KO + OP + PI + IG + GB + BC + CF + FE + EL$
	= 300 + 500 + 150 + 400 + 250 + 400 + 300 + 400 + 300 + 200 = 3200 m
31.	The possible path would be $C - D - E - F - K - L - M - N - K - J - G - F - C$
	The distance walked = $300 + 400 + 300 + 200 + 300 + 400 + 300 + 400 + 300 + 200 + 300 + 400$
20	= 3800 m
32.	The possible path would be $A - B - G - F - C - D - E - L - M - N - K - J - O - P - I - H - A$
	116 maximum distance walked = 150 + 400 + 300 + 400 + 300 + 400 + 200 + 400 + 300 + 300 + 400 + 300 + 300 + 400 + 300 + 300 + 400 + 300 + 300 + 400 + 300 + 300 + 400 + 300 + 300 + 400 + 300 + 300 + 400 + 300 + 400 + 300 + 400 + 300 + 400 + 300 + 400 + 300 + 400 + 300 + 400 + 300 + 400 + 300 + 400 + 300 + 300 + 400 + 300 + 300 + 400 + 300 + 300 + 300 + 400 + 300 +
22	150 + 400 + 200 + 400 = 5100
33 .	The possible path would be $C - D - E - F - K - N - O - P - I - J - G - B - C$
	1 ne maximum distance walked = $300 + 400 + 300 + 200 + 400 + 300 + 150 + 400 + 150 + 200 + 400 + 500 = 2500 m$
34	5500 III From the Par Chart, the total sum of ratings given on Day 2 by all the buyers
54.	$-5 \times 1 + 10 \times 2 + 5 \times 3 + 20 \times 4 + 10 \times 5 - 170$
	$= 5 \times 1 + 10 \times 2 + 5 \times 5 + 20 \times 4 + 10 \times 5 = 170$ Total number of ratings given by buyers on Day 2 = 5 + 10 + 5 + 20 + 10 = 50
	$\frac{100}{170}$
	So, the average rating on Day $2 = \frac{170}{50} = 3.4$
	JU
	Let the humber of ratings given by buyers on Day $1 - x$ Sum of ratings on Day $1 - 3x$
	Sum of ratings on Day $1 = 5x$ $(3x \pm 170)$
	Also given, $\frac{(5x+170)}{(x+50)} = 3.1$
	(X + 50)
	Solving, $3x + 1/0 = 3.1x + 155$
	=> X = 150
35	I ne number of buyers gave ratings on Day $I = 150$
55.	On Day 5, The total number of buyers gave ratings of $1 - 10v - ratings of 2$
	So the number of buyers gave product ratings of $3 - 20y$
	Also, the modes of the product ratings were 4 and 5
	Let the number of buyers gave product ratings of $4 = 10z = ratings$ of 5
	Solving, $10y + 10y + 20y + 10z + 10z = 100$
	1 = 4y + 2z = 10
	=>4y + 2z = 10 =>2y + z = 5
	=> 4y + 2z = 10 => 2y + z = 5 Now, 10z to be mode, $z = 3$ and y
	=> 4y + 2z = 10 $=> 2y + z = 5$ Now, 10z to be mode, z = 3 and y $= 1 (only possibility)$
	=>4y + 2z = 10 $=>2y + z = 5$ Now, 10z to be mode, z = 3 and y $= 1 (only possibility)$ Rating 1 2 3 4 5
	$ => 4y + 2z = 10 => 2y + z = 5 Now, 10z to be mode, z = 3 and y = 1 (only possibility) \hline Rating 1 2 3 4 5 \hline Buyers 10 10 20 30 30 $
	=> 4y + 2z = 10 => 2y + z = 5 Now, 10z to be mode, z = 3 and y = 1 (only possibility) $\boxed{\textbf{Rating} 1 2 3 4 5}$ $\boxed{\textbf{Buyers} 10 10 20 30 30}$ Total sum ratings on Day 3 = 10 × 1 + 10 × 2 + 20 × 3 + 30 × 4 + 30 × 5 = 360}
	$=> 4y + 2z = 10$ $=> 2y + z = 5$ Now, 10z to be mode, z = 3 and y $= 1 \text{ (only possibility)}$ $\boxed{\textbf{Rating} 1 2 3 4 5}$ $\boxed{\textbf{Buyers} 10 10 20 30 30}$ Total sum ratings on Day 3 = 10 × 1 + 10 × 2 + 20 × 3 + 30 × 4 + 30 × 5 = 360 The deily average rating on Day 2 = $\frac{360}{2} = 2.6$
	=> 4y + 2z = 10 => 2y + z = 5 Now, 10z to be mode, z = 3 and y = 1 (only possibility) Rating 1 2 3 4 5 Buyers 10 10 20 30 30 Total sum ratings on Day 3 = 10 × 1 + 10 × 2 + 20 × 3 + 30 × 4 + 30 × 5 = 360 The daily average rating on Day 3 = $\frac{360}{100} = 3.6$
36.	=> 4y + 2z = 10 => 2y + z = 5 Now, 10z to be mode, z = 3 and y = 1 (only possibility) Rating 1 2 3 4 5 Buyers 10 10 20 30 30 Total sum ratings on Day 3 = 10 × 1 + 10 × 2 + 20 × 3 + 30 × 4 + 30 × 5 = 360 The daily average rating on Day 3 = $\frac{360}{100}$ = 3.6 On Day 3, The total number of buyers gave ratings = 100
36.	$=>4y + 2z = 10$ $=>2y + z = 5$ Now, 10z to be mode, z = 3 and y $= 1 \text{ (only possibility)}$ $\boxed{\textbf{Rating} 1 2 3 4 5}$ $\boxed{\textbf{Buyers} 10 10 20 30 30}$ Total sum ratings on Day 3 = 10 × 1 + 10 × 2 + 20 × 3 + 30 × 4 + 30 × 5 = 360} The daily average rating on Day 3 = $\frac{360}{100}$ = 3.6 On Day 3, The total number of buyers gave ratings = 100 Let the number of buyers gave product ratings of 1 = 10y = ratings of 2
36.	$=>4y + 2z = 10$ $=>2y + z = 5$ Now, 10z to be mode, z = 3 and y $= 1 \text{ (only possibility)}$ $\boxed{\textbf{Rating} 1 2 3 4 5}$ $\boxed{\textbf{Buyers} 10 10 20 30 30}$ Total sum ratings on Day 3 = 10 × 1 + 10 × 2 + 20 × 3 + 30 × 4 + 30 × 5 = 360} The daily average rating on Day 3 = $\frac{360}{100}$ = 3.6 On Day 3, The total number of buyers gave ratings = 100 Let the number of buyers gave product ratings of 1 = 10y = ratings of 2 So, the number of buyers gave product ratings of 3 = 20y
36.	$=>4y + 2z = 10$ $=>2y + z = 5$ Now, 10z to be mode, z = 3 and y $= 1 \text{ (only possibility)}$ $\boxed{\textbf{Rating} 1 2 3 4 5}$ $\boxed{\textbf{Buyers} 10 10 20 30 30}$ Total sum ratings on Day 3 = 10 × 1 + 10 × 2 + 20 × 3 + 30 × 4 + 30 × 5 = 360} The daily average rating on Day 3 = $\frac{360}{100}$ = 3.6 On Day 3, The total number of buyers gave ratings = 100 Let the number of buyers gave product ratings of 1 = 10y = ratings of 2 So, the number of buyers gave product ratings of 3 = 20y Also, the modes of the product ratings were 4 and 5
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Total number of ratings given by buyers on Day 2 = 5 + 10 + 5 + 20 + 10 = 50So, the average rating on Day $2 = \frac{170}{50} = 3.4$ Let the number of ratings given by buyers on Day 1 = xSum of ratings on Day 1 = 3xAlso given, $\frac{(3x + 170)}{(x + 50)} = 3.1$ Solving, 3x + 170 = 3.1x + 155=> x = 150On Day 3, The total number of buyers gave ratings = 100Let the number of buyers gave product ratings of 1 = 10y = ratings of 2 So, the number of buyers gave product ratings of 3 = 20yAlso, the modes of the product ratings were 4 and 5 Let the number of buyers gave product ratings of 4 = 10z = ratings of 5 Solving, 10y + 10y + 20y + 10z + 10z = 100=> 4y + 2z = 10 => 2y + z = 5Now, 10z to be mode, z = 3 and y = 1 (only possibility) **Rating** 1 2 3 4 5 **Buvers** 10 10 20 30 30 Total sum ratings on Day $3 = 10 \times 1 + 10 \times 2 + 20 \times 3 + 30 \times 4 + 30 \times 5 = 360$ The cumulative average rating of Day 2 = 3.1 (given) The cumulative average rating of Day 3 = $\frac{(450 + 170 + 360)}{(150 + 50 + 100)} = \frac{49}{15}$ Percentage change from Day 2 to Day $3 = (49/15 - 3.1)/3.1 \times 100 \approx 5.38\%$ Hence, the cumulative average of Day 3 increased by a percentage between 5% and 8% from Day 2. 38-The corresponding values of PAT and ES can be directly noted 41. For PRD In 2019, let the area corresponding to firm D = P %, then the area corresponding to C = B = 9P %, A = F = 4P % and E = 16P % Similarly, in 2023, D = C = F = A = 4P % and B = E = 9P % The rest of the given information can be gathered as follows-2019 2023 Year → PRD PAT (Rs. PAT (Rs. PRD Firm ↓ ES ES **Crores**) (%) **Crores**) (%) 3000 800 4P3900 1300 4PA 2800 1000 9P 3800 1000 9P В C 2400 600 9P 3000 800 4P 3900 Р 2400 800 4P D 600 Е 2400 1200 16P 3500 1400 9P 2500 4P3200 4P F 800 1000 38. Let A, B, C and E be the ARG of the respective firms from 2019 to 2023 For A, $3900 = 3000 \left(\frac{1+A}{100}\right)^4$ So, $\left(\frac{1+A}{100}\right)^4 = \frac{3900}{3000} = 1.3$ Considering, rest of the factors same and we need to compare and not required the actual value, we need not to solve further For B, $\left(\frac{1+B}{100}\right)^4 = \frac{3800}{2800} \approx 1.36$ For C, $\left(\frac{1+C}{100}\right)^4 = \frac{3000}{2400} \approx 1.25$



	For E, $\left(\frac{1+E}{100}\right)^4 = \frac{3500}{2400} \approx 1.46$
	Hence, firm E had the highest ARG
39.	The amount of money spent by firm C on R&D in $2019 = \frac{9P}{100} \times 2400$
	The amount of money spent by firm C on R&D in $2023 = \frac{4P}{100} \times 3000$
	Required ratio = $\frac{9P}{100} \times 2400$: $\frac{4P}{100} \times 3000$
- 10	= 9 : 5
40.	PAT per employee in 2023 among A, C, E and F, 3900
	Firm $A = \frac{3300}{1300} = 3$
	Firm $C = \frac{3000}{1000} = 3.75$
	$\frac{1}{800} = 5.75$
	Firm $E = \frac{3500}{1400} = 2.5$
	3200
	Firm $F = \frac{3233}{1000} = 3.2$
	Hence, firm C had the maximum PAT per employee in 2023 among the firms A, C, E and F
41.	PRD per employee in 2023 among the firms C, D, E and F Firm $C = (4P/100 \times 3000)/800 = 0.15P$
	Firm $D = (4P/100 \times 2400)/800 = 0.12P$
	Firm $E = (9P/100 \times 3500)/1400 = 0.225P$
	Firm $F = (4P/100 \times 3200)/1000 = 0.128P$ Hence, firm D had the least PRD per employee in 2023 among the firms C. D. E and F.
42-	Considering Yuki trained only even numbered players, so Yuki would not be training odd numbered player.
46.	Similarly, Zara trained only odd numbered players, so Zara would not be training even numbered players.
	From point 2, Player 1 and Player 4 were trained by same coach, this is not possible for Yuki and Zara, so
	both of them are trained by Xena
	From point 3, Player 5 and Player 7 were trained by same coach, which is possible either for Xena or Zara. But if Xena coaches player 5 and player 7, the only possible player left for Zara to coach would be player 3, but it is given that each coach rained at least two players. So, Zara coached player 5 and player 7. From point 2, Player 2, Player 3 and Player 5 trained by different coaches. So, player 3 wouldn't be coached by Zara as Zara coached player 5. So, player 3 must be coached by Xena and player 2 must be coached by Yuki.
	From point 3, Player 5 and Player 7 got the same rating = r (let) and rest all 6 players got unique ratings. Also, from point 4, the average ratings of all the players = 4 So, the sum total of ratings of all the 8 players = $8 \times 4 = 32$ Sum of 7 unique integer values from 1 to 7 = 28 So, the value of same rating, r = $32 - 28 = 4$
	From point 5, player 2 got the highest rating = 7
	From point 6, average of the ratings of the players trained by $Zara = \frac{(4+4)}{2} = 4$
	So, average of the ratings of the players trained by Yuki = $4 + 2 = 6$ and average of the ratings of the players
	trained by Xena = $\frac{6}{2} = 3$
	Let the sum total of the ratings of Xena = X and the number of players coached From point 7, player 4's rating = $2 \times$ player 8's rating and player 4's rating < player 5's rating = 4 So, only possibility that player 4's rating = 2 and player's 8 rating = 1



Distant	Vere	ows-	Zama	Dating	
	Aena		zara	канпд	
	\checkmark	×	×		
2	×	\checkmark	×	1	
3	\checkmark	×	×		
4	\checkmark	×	×	2	
5	×	×	\checkmark	4	
6			×		
7	×	×	\checkmark	4	
8			×	1	
Sum total of the ratings (S)			8	28	
Number of players coached (n)			2		
Average of the Ratings (= S/n)	3	6	4		
So, the sum total of the ratings of the p Also we know, $3m + 36 - 6m + 8 = 32$ Solving, $m = 4$ So, the number of the players coache coached by Yuki = $36 - 6m = 12$ Now one among the 2 players coach have rating $12 - 7 = 5$. So, that player So, player 8 must be coached by Xena	players co 2 ed by Yul ed by Yul must be p along wi	ki = 6 – ki is play blayer 6 th player	m = 2 a m = 2 a yer 2 wh who had 1, playe	$6 \times (6 - m)$ nd the sum to had a rating of er 3 and pla) = 36 – 6m n total of the ratings of the pl ting of 7, so the other player 5. yer 4 and the rating of player
player 3 would be either 3 or 6 in any	order.				
The rest of the information can be gat	hered as f	ollows-		.	
Player	Xena	Yuki	Zara	Rating	
1	\checkmark	×	×	3/6	
2	×	\checkmark	×	7	
3	\checkmark	×	×	6/3	
4	\checkmark	×	×	2	
5	×	×	\checkmark	4	
6	×	\checkmark	×	5	
7	×	×	./	4	
8		~	~	1	
Sum total of the national (S)	12	× 12	× Q	22	
Sum total of the ratings (S)	12	12	0	32	
$\frac{1}{2} \frac{1}{2} \frac{1}$	4	2 6	<u> </u>		
Average of the Katings (= $5/n$)	5	0	4		
Zara coached exactly 2 playars (Playa	r 5 and DI	aver 7)			
The rating of player $7 - 4$		uyci /)			
The rating of player $6 = 5$					
For 6 players the ratings can be determined by $\frac{1}{2}$	nined with	n certain	V		
The players trained by Xena are Playe	r 1, Plave	r 3. Plav	er 4 and	Player 8	
In 2022,	_, _ 1	_, _			
Let the sum of employees $(1, 10) = c$					
Let the sum of employees $(1-10) = a$ Let the sum of employees $(11-30) = b$ Let the sum of employees $(31-40) = c$ Given $a + b = 30 \times 40000 = 12$ lakhs a Also given, $a + c = 20 \times 50000 = 10$ la Adding all 3 equations, 2 $(a + b + c) =$ => a + b + c = 20 lakhs	and b + c = akhs = 40 lakhs	= 30 × 6	0000 = 1	8 lakhs	



	Sum of employees $(1-10) = 2$ lakhs $\times 2 = 4$ lakhs and sum of employees $(31-40) = 8$ lakhs $\times 3 = 24$ lakhs
	Sum of employees $(11-30) = 10$ lakhs (remains unchanged)
	Total sum = $4 + 10 + 24 = 38$ lakhs
48	$\frac{1}{10000000000000000000000000000000000$
40.	Remainder $\frac{[3^1]}{3} = 3$
	11
	$\mathbf{P}_{\mathrm{ampinder}} \begin{bmatrix} 3^2 \end{bmatrix} 0$
	$\frac{11}{11} = 9$
	$[3^{3}]$
	Remainder $\frac{10}{11} = 5$
	11 12
	Remainder $\frac{13}{11} = 4$
	Remainder $\frac{[3^3]}{-1}$
	3^{n} . 5^{n} .
	So, the remainder cycle -1 is of 5 (3, 9, 5, 4, 1)
	$[3^{333}]$ $[3^3]$
	Hence, remainder $\frac{10}{11}$ = remainder $\frac{10}{11}$ = 5
49.	Since m and n are natural numbers and $n > 1$
	$m^n = 2^{25} \times 3^{40}$
	$m^n = (2^5)^5 \times (3^8)^5$
	$m^n = (32)^5 \times (6561)^5$
	$m^n = (209952)^5$
	So, $m = 209952$ and $n = 5$
50	=> III - II = 209947
00.	Given $a = 50\%$ ($a + w + 2$)
	=> a = w + 2
	Also, $a + 15 = 80\%$ ($a + 15 + w + 2$)
	=>5a + 75 = 8a + 60
	=> a = 5 and w = 3
54	Hence, initially water : acid = 3 : 5
51.	$(\mathbf{x} + 6\sqrt{2})^{\frac{1}{2}} - (\mathbf{x} - 6\sqrt{2})^{\frac{1}{2}} - 2\sqrt{2}$
	$\left(x + 0\sqrt{2}\right)^2 - \left(x - 0\sqrt{2}\right)^2 - 2\sqrt{2}$
	Squaring both sides,
	$(x + 6\sqrt{2}) + (x - 6\sqrt{2}) - 2(x + 6\sqrt{2})^{\frac{1}{2}}(x - 6\sqrt{2})^{\frac{1}{2}} = 8$
	$2x - 2 x^2 - (6\sqrt{2})^2 ^2 = 8$
	$x - 4 = [x^2 - 72]^2$
	Again squaring both sides,
	$x^2 + 16 - 8x = x^2 - 72$
52	Solving, $x = 11$
52.	Amount received by Anil = $22000 \left(1 + \frac{(4/2)}{1}\right)^{0.2} = 22000 (1.02)^{12}$
	Let the amount invested by $Sunil = P$
	Amount received by Supil = $P(1 + (4/2))^{5\times 2} (1 + 10)^{1}$ P (1.02) ¹⁰ (1.1)
	Amount received by Sum = $P\left(1 + \frac{1}{100}\right) = P(1.02)^{-1}(1.1)$
	Given, 22000 $(1.02)^{12} = P (1.02)^{10} (1.1)$
	Solving, P = Rs 20808
53.	Given, $A + V = W/150$ and $V + S = W/100$
	Let work, $W = 300$ units



	A + M = 2 multiplication and $M + C = 2$ multiplication.
	A + v = 2 units/day and $v + S = 5$ units/day
	Also, $/3A + 135V + 45S = 300$
	=>75A + 75V + 15V + 45V + 45S = 300
	$=>75 \times 2 + 15V + 45 \times 3 = 300$
	\Rightarrow V = 1 unit/day \Rightarrow A = 1 unit/day and S = 2 units/day
	Now A works every day, while V works on every 2 ^{na} day and S words on every 3 ^{ra} day, that makes the cycle
	of 6 days
	Work done by A on 1^{st} day = 1 unit
	Work done by A and V on 2^{nd} day = 1 + 1 = 2 units
	Work done by A and S on 3^{rd} day = $1 + 2 = 3$ units
	Work done by A and V on 4^{th} day = $1 + 1 = 2$ units
	Work done by A on 5^{th} day = 1 unit
	Work done by A. V and S on 6^{th} day = 1 + 1 + 2 = 4 units
	Work completed in 6 days = $1 + 2 + 3 + 2 + 1 + 4 = 13$ units
	After that the cycle will repeat
	Work done in $(6 \times 23 = 138 \text{ days}) = 299$
	Next day, work done by $A = 1$ unit
	Hence, total number of days $= 139$
54	Let the usual time taken $-$ thours
•	Given distance $d = 60 \times (t \pm 3.5)$
	Next day $2d/3$ of the distance covered in t/3 of the time
	Paramining distance $\frac{1}{2} - \frac{10}{2} \times \frac{21}{3}$
	Remaining distance, $d/3 = 40 \times 203$
	=> 0 = 801
	=>801=001+210
	=> t = 10.5 nours
EE	The usual scheduled arrival time = 9 Alvi + 10.5 hrs = 7:30 Plvi f(x) = f(x) + f(x) + f(x)
55.	f(xy) = f(x) f(y) + f(x) + f(y)
	Given, $f(p) = 1$ where p is a prime number
	=> f(2) = 1 and $f(5) = 1$
	$=> f(10) = f(2 \times 5) = f(2) f(5) + f(2) + f(5) = 1 \times 1 + 1 + 1 = 3$
	$\Rightarrow f(100) = f(10 \times 10) = f(10) f(10) + f(10) + f(10) = 3 \times 3 + 3 + 3 = 15$
	$= f(10000) = f(100 \times 100) = f(100) f(100) + f(100) + f(100) = 15 \times 15 + 15 + 15 = 255$
	Now, $f(4) = f(2 \times 2) = f(2) f(2) + f(2) + f(2) = 1 \times 1 + 1 + 1 = 3$
	$= f(16) = f(4 \times 4) = f(4) f(4) + f(4) + f(4) = 3 \times 3 + 3 + 3 = 15$
	Now, $f(160000) = f(10000 \times 16) = f(10000) f(16) + f(10000) + f(16)$
	$= 255 \times 15 + 255 + 15 = 4095$
56.	$1(1 \ 1) \ (1)^2 [(1)^2 \ (1)^2] \ (1)^3 [(1)^3 \ (1)^3]$
	$\frac{1}{2} \left \frac{1}{2} - \frac{1}{2} \right + \left \frac{1}{2} \right \left \frac{1}{2} \right - \left \frac{1}{2} \right \left + \left \frac{1}{2} \right \left \frac{1}{2} \right - \left \frac{1}{2} \right \right + \dots \infty$
	$\left[\begin{array}{ccc} 3 \\ 3 \\ \end{array} \right] \left[\begin{array}{ccc} 3 \\ \end{array} \right] \left[\begin{array}{cccc} 3 \\ \end{array} \right] \left[\begin{array}{ccc} 3 \\ \end{array} \\ \\ \\ \left[\begin{array}{ccc} 3 \end{array} \right] \left[\begin{array}{ccc} 3 \\ \end{array} \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \end{array} \\ \\ \\ \\ \\ \\$
	$(1)^{2}$ $(1)(1)$ $(1)^{4}$ $(1)^{2}(1)^{2}$ $(1)^{6}$ $(1)^{3}(1)^{3}$
	$= \left \frac{1}{2} \right - \left \frac{1}{2} \right \frac{1}{2} \left \frac{1}{2} \right + \left \frac{1}{2} \right - \left \frac{1}{2} \right \left \frac{1}{2} \right + \left \frac{1}{2} \right - \left \frac{1}{2} \right \left \frac{1}{2} \right + \dots \infty$
	(5) $(5)(7)$ (5) (7) (5) (7)
	$(1)^2$ $(1)(1)$
	$(1)^{2} (1)^{4} (1)^{6} \qquad [(1)(1) (1)^{2} (1)^{2} (1)^{3} (1)^{3}] \frac{1}{5} \frac{1}{5} \frac{1}{7}$
	$= \left \frac{1}{2} \right + \left \frac{1}{2} \right + \left \frac{1}{2} \right + \dots \dots \infty - \left \left \frac{1}{2} \right \frac{1}{2} \right + \left \frac{1}{2} \right \left \frac{1}{2} \right + \left \frac{1}{2} \right \left \frac{1}{2} \right + \dots \dots \infty \right = \frac{(5)}{(5)} - \frac{(5)(7)}{(5)(7)}$
	$ \begin{array}{cccccccccccccccccccccccccccccccccccc$
	$1 - \left(\frac{1}{5}\right) = \left(5 \right) \left(7\right)$
	1 1 5
	$=\frac{1}{24}-\frac{1}{24}=\frac{5}{400}$
57	24 34 408
57.	At the beginning, let the total number of fruits = $5x$
	=> Mangoes at the beginning = 40% of 5x = 2x
	Let the Apples at the beginning = $5a => Bananas at the beginning = 3x - 5a$
	At the end of the day,
	Mangoes sold = $\frac{2x}{2}$ = x, Bananas sold = 96 and Apples sold = 40% of 5a = 2a
	Given, $x + 96 + 2a = 50\%$ of 5x
	=> 1.5x = 2a + 96
	=> 5x = 4a + 192
	The smallest possible value of $a = 3$ (at least 1 fruit of each type)



	Solving, $x = 68$ (smallest)	
50	Hence, the smallest possible total i	number of fruits at the beginning = $5x = 340$
58.	Let the cost price of $Bina = 100x$	
	Given, $100x - 19\%$ of $100x = Rs 4$	4860
	=> x = 60	
	So, the cost price of $Bina = 100x =$	= Rs 6000
	Certain Price = $6000 + 17\%$ of 600	$00 = \text{Rs} \ 7020$
	Profit of Shyam = $7020 - 4860 = I$	Rs 2160
59.	The given shape can be drawn as	follows. Due to symmetry, the center of both the circles X and Y coincides
	at O (let)	
	Let the radius of e circles of equal	radii = R
	Let the radius of smaller circle Y =	= OA
	And radius of larger circle $X = OC$	C = OA + AC = OA + 2R
	Also, joining the center of 3 circles	s having radius R forms an equilateral triangle with each side $= 2R$
	,, .	
		$\lambda^{\rm C}$
		R B R
	Now OB is sincer adding of agril	lateral triangle thus formed
	Now, OB is circum-radius of equilibrium $OB = OA + D = O$	
	OB = OA + AB = OA + R = (2/3)) × K
	$=> OA = 2K/\sqrt{3} - R = (2 - \sqrt{3})K/\sqrt{3}$	y
	Also, $OC = OA + 2R = (2 - \sqrt{3})R/3$	13 + 2R = (2 + 13)R/13
	Required ratio = $OC : OA = (2 + \sqrt{2})^2$	$(3) K/\sqrt{3} : (2 - \sqrt{3}) K/\sqrt{3}$
<u> </u>	$= (2 + \sqrt{3})^2 : (2 - \sqrt{3})(2 + \sqrt{3}) = 7 - 15$	$+ 4\sqrt{3} : 1$
60.	x + x + y = 15 and $x + y - y = 20$	
	Case I $x \ge 0$ and $y \ge 0$	Case III $x < 0$ and $y \ge 0$
	2x + y = 15 and $x = 20$	y = 15 and $x = 20$ (not possible)
	=> y = -25 (not possible)	
	Case II $x \ge 0$ and $y < 0$	Case IV $x < 0$ and $y < 0$
	2x + y = 15 and $x - 2y = 20$	y = 15 and $x - 2y = 20$
	4x + 2y = 30 and $x - 2y = 20$	=> x = 50 and $y = 15$ (not possible)
	=> x = 10 and y = -5	
	=> x - y = 10 - (-5) = 15	
	Hence, $x - y = 15$	
61.	Given, $3x^2 + \lambda x - 1 = 0$	
	$\alpha + \beta = -\lambda/3$ and $\alpha\beta = -1/3$	
	1 + 1 = 15	
	$\frac{1}{\alpha^2} + \frac{1}{\beta^2} = 15$	
	$\frac{\alpha^2 + \beta^2}{1} = 15$	
	$\alpha^2 \beta^2$ -15	
	$\frac{(\alpha+\beta)^2-2\alpha\beta}{2}=15$	
	$(\alpha\beta)^2$	
	$(2/3)^2 - 2(-1/3)$	
	$\frac{(-\lambda/3)}{2} = 15$	
	$(-1/3)^2$	



	$\Rightarrow \lambda^2 + 6 = 15$
	$\Rightarrow \lambda = \pm 3$
	$(\alpha^3 + \beta^3)^2 = [(\alpha + \beta)^3 - 3\alpha\beta (\alpha + \beta)]^2$
	$= [(-\lambda/3)^3 - 3(-1/3)(-\lambda/3)]^2$
	$=(-\lambda^3/27-\lambda/3)^2$
	$= (\pm 2)^2 = 4$
62.	$\frac{1}{1} < \frac{1}{1}$
	$x + 5^{-2} 2x - 3$
	1 1
	$\frac{1}{x+5} - \frac{1}{2x-3} \leq 0$
	2x - 3 - x - 5
	$\frac{2n}{(n+5)(2n-2)} \le 0$
	(X+J)(2X-J)
	$\frac{x-8}{2} \leq 0$
	(x+5)(2x-3)
	(x+5)(2x-3)(x-8) < 0
	$\frac{(x+5)^2(2x-3)^2}{(x+5)^2(2x-3)^2} \le 0$
	$(x + 5)(2x - 3)(x - 8) \le 0$
	$\frac{(x+3)(2x-3)(x-3) \leq 0}{3}$
	such that $x \neq -5$ or $\frac{5}{2}$ as it makes denominator zero
	L Now using works particular
	Now using wavy curve method,
	$x < -5 \text{ or } -5 < x \le 8$
	2
63.	Let the present age of Rajesh and Garima be R and G respectively
	Also, let Rajesh's age was same as present age of Garima x years ago
	$\Rightarrow x = R - G \Rightarrow G = R - x$
	$\frac{\mathbf{R}-\mathbf{x}}{\mathbf{x}}=\frac{3}{2}$
	$G-x^2$
	=> 2G = 3G - 3x
	\Rightarrow G = 3x and R = 4x
	Now, Garima's age becomes present age of Rajesh
	R + x 5x 5
	Required ratio = $\frac{1}{C + x} = \frac{1}{Ax} = \frac{1}{Ax}$
64	$O \pm A = 4$ Given paths between P and $O = 3$ O and $S = 4$ and P and P = 4
04.	Let the number of paths between Ω and $R = n$ and R and $S = a$
	Let the number of paths between Q and $K = p$ and K and $S = q$
	p q , q
	$R \longleftrightarrow S$
	\sum_{n}
	$_{A}$ $\stackrel{P}{\searrow}$ 4
	$P \xrightarrow{3} Q$
	Given, paths between P to Q to S + paths between P to R to S + paths between P to Q to R to S = $3 \times 4 + 4 \times q$
	$+ 3 \times p \times q = 62$
	=>4q + 3pq = 50
	=> q (4 + 3p) = 50
	Possible values, $q = 2$ and $p = 7$ or $q = 5$ and $p = 2$
	Also, paths between Q to R + paths between Q to P to R + paths between Q to S to R = $p + 3 \times 4 + 4 \times q = 27$
	=> p + 4q = 15
	Now, $q = 2$ and $p = 7$ satisfies
	Hence, the number of direct paths between Q and $R = p = 7$



65.	The given vertices are (1, 2), (7, 2) and (1, 10)
	The distance between $(1, 2)$ and $(7, 2) = 6$ units
	The distance between $(1, 2)$ and $(1, 10) = 8$ units
	The distance between $(7, 2)$ and $(1, 10) = 10$ units
	So, the sides of the given triangle satisfies the Pythagoras Theorem, therefore forms a right angled triangle
	Area of the right angled triangle = $\frac{1}{2} \times 6 \times 8 = 24$ units
	Also, the area of the triangle = $r \times s$
	where r is the in-radius and s is the semi-perimeter, $s = \frac{(6+8+10)}{2} = 12$
	Hence, $r \times 12 = 24 \implies r = 2$ units
66.	$\log_8(a+b) + \log_{27}(a-b) = 2$
	$\frac{1}{\log_2 c} + \frac{1}{\log_3 c} = \frac{1}{3}$
	$1 \log_{10}(a+b) = 1 \log_{10}(a-b) = 2$
	$\frac{1}{2}\frac{\log_2(a+b)}{1} + \frac{1}{2}\frac{\log_3(a-b)}{1} = \frac{2}{2}$
	$3 \log_2 c$ $3 \log_3 c$ 3
	$\frac{\log_2(a+b)}{1+\log_3(a-b)} = 2$
	$\log_2 c$ $\log_3 c$
	$\log_{a}(a+b) + \log_{a}(a-b) = 2$
	$=>a^2-b^2=c^2$
	$=>a^2=b^2+c^2$
	To maximize the value of a, we need to maximize the value of b and c
	Also, $a > 10 \ge b \ge c$
	So, a^2 (maximum) = $10^2 + 10^2 = 200$
	Hence, the maximum integral value of $a = 14$
67.	$4x^2 + 4y^2 - 4xy - 6y + 3 = 0$
	$4x^2 + y^2 + 3y^2 - 4xy - 6y + 3 = 0$
	$4x^2 + y^2 - 4xy + 3y^2 - 6y + 3 = 0$ $(2x - x)^2 + 2(x - 1)^2 = 0$
	$(2X - y)^2 + 5(y - 1)^2 = 0$ -> 2x y = 0 and y = 1 = 0
	-2x - y = 0 and $y - 1 = 0$
	$=> y = 1$ and $x = \frac{1}{2}$
	2
	$4x + 5y = 4 \times \frac{1}{2} + 5 \times 1 = 7$
68.	Given perimeter of trapezium ABCD = 6
	=> AB + BC + CD + DA = 6
	Let $BC = y$ and $DA = x$
	=>2 + y + 1 + x = 6
	=> X + Y = 3 Since $A D / C D = 1/2 A D$
	Since, AB//CD and CD = $1/2$ AB
	and C is mid-points of RE $D/$
	So, $DE = x = AD$
	And $CE = y = BC$ X/ Y
	Perimeter of AEB
	= AB + BE + AE
	$= 2 + 2y + 2x \qquad A \qquad 2 \qquad B$
	= 2 + 2(x + y)
	= 8 units